

# LANGUAGE PROCESSORS

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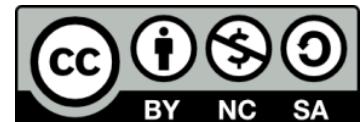
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UNIT 7: SEMANTIC  
ANALYSIS



# OUTLINE

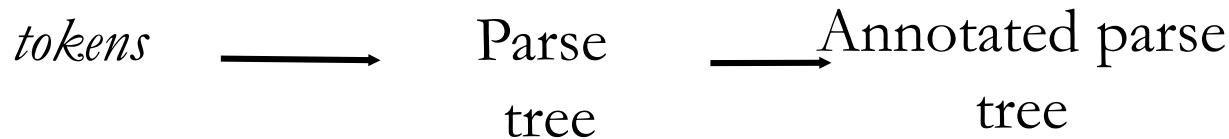
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- ▶ Introduction
- ▶ Semantic Analysis
- ▶ Type Checking
- ▶ Designing a Type Checker
- ▶ Example of a simple language
- ▶ Cycles in Representations of types
- ▶ Scope Checking

# Introduction

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- ▶ “He am a driver” might be syntactically correct but semantically wrong.
- ▶ Semantic analysis in the compiler’s last chance to detect incorrect programs.



# Semantic Analysis

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- ▶ For a program to be semantically valid:
  - ▶ All variables, functions and classes properly defined.
  - ▶ Expressions and variables must be used in ways that respect the type system.
  - ▶ Access control must be respected.
  - ▶ ...

# Semantic Analysis

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- Semantic information is associated to the programming language constructs by attaching attributes to the grammar.
- Values for attributes are computed by semantic rules associated with grammar constructors.
- This phase modifies the symbol table and is often mixed with the intermediate code generation.
- The method applied for the determination of syntactic and semantic correctness of a given program is called **static checking**.

# Semantic Analysis

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- ▶ Notations for associating semantic rules with productions:
  - ▶ Syntax-directed definitions.
  - ▶ Translation schemes.

# Semantic Analysis

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- Examples
  - Type checking
    - errors messages are issued if an operator is applied to an incompatible operand.
  - Flow-of-control checks
    - for example, in C a break statement occurs inside a while, or for statements.
  - Uniqueness checks
    - sometimes, an object must be defined exactly one, for example, labels in a case statement must be distinct.
  - Name-related checks
    - sometimes, in a construct the same name must appear two or more times.

# Type Checking

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- **Objective:** Verify that each operation executed in a program respect the type system of the program.
- **Static type checking:**
  - Done at compile-time.
  - Information obtained from a master symbol table.
- **Dynamic type checking:**
  - Type information is included for each data location at runtime.

# Designing a Type Checker

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- ▶ Identify the types in the input language.
- ▶ Identify the language constructs that have types associated to them.
- ▶ Identify the semantic rules for the language.

# Example of a simple language

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- ▶ Simple language has a static type system
  - ▶ Goal: check the types of all the expressions in the language
- ▶ Types in the language:
  - ▶ Basic types
    - ▶ char
    - ▶ integer
    - ▶ type\_error
  - ▶ Complex types
    - ▶ Array[n] of T (T, I..n)
    - ▶ ^T pointer

# A simple language

## ▶ Grammar:

```
P → D ; E  
D → D ; D | id : T  
T → char | integer | array [num] of T | ^T  
E → literal | num | id | E mod E | E [ E ] | E ^
```

- ▶ D for declaration
- ▶ T for type
- ▶ E for expression

# A simple language

## ► Semantic actions:

$P \rightarrow D ; E$

$D \rightarrow D ; D$

$D \rightarrow id : T$

{ addType (id.entry, T.type) }

$T \rightarrow char$

{ T.type := char }

$T \rightarrow integer$

{ T.type := integer }

$T \rightarrow ^T_1$

{  $T_0.type := pointer (T_1.type)$  }

$T \rightarrow array [num] of T$

{  $T_0.type := array(1..num.val,$   
 $T_1.type)$  }

# A simple language

- ▶ Type checking of expressions:

- ▶ Constants

$E \rightarrow \text{literal}$

{ E.type := char }

$E \rightarrow \text{num}$

{ E.type := integer }

- ▶ Identifiers

$E \rightarrow \text{id}$

{ E.type := lookup (id.entry) }

- ▶ Operators

$E \rightarrow E \text{ mod } E$

{ if (E<sub>1</sub>.type = integer) and  
(E<sub>2</sub>.type = integer) E<sub>0</sub>.type =  
integer  
else E<sub>0</sub>.type = type\_error }

# A simple language

## ▶ Arrays:

$E \rightarrow E [ E ]$

{ if (E<sub>1</sub>.type = integer) and  
(E<sub>2</sub>.type = array(s, t)) then  
    E<sub>0</sub>.type = t  
else E<sub>0</sub>.type = type\_error }

## ▶ Pointers:

$E \rightarrow E ^$

{ if (E<sub>1</sub>.type = pointer(t))  
    E<sub>0</sub>.type = t  
else E<sub>0</sub>.type = type\_error }

# Type checking of statements

- ▶ By default, a sentence is of void type unless it is an error
  - ▶ if and while:

$S \rightarrow id := E \quad \{ \text{if } (id.type = E.type) \text{ then } S_0.type = \text{void} \\ \text{else } S_0.type := \text{type\_error} \}$

$S \rightarrow \text{if } E \text{ then } S \quad \{ \text{if } (E.type = \text{boolean}) \text{ then } S.type = S_1.type \\ \text{else } S_0.type := \text{type\_error} \}$

$S \rightarrow \text{while } E \text{ do } S \quad \{ \text{if } (E.type = \text{boolean}) \text{ then } S.type = S_1.type \\ \text{else } S_0.type := \text{type\_error} \}$

$S \rightarrow S ; S \quad \{ \text{if } (S_1.type = \text{void}) \text{ and } (S_2.type = \text{void}) \\ \text{then } S_0.type = \text{void} \\ \text{else } S_0.type := \text{type\_error} \}$

# Type checking of functions

$T \rightarrow T \rightarrow T$

$\{ T_0.type = T_1.type \rightarrow T_2.type \}$

Ej.: int f(double x, char y) { ... }

type de f: **double x char → int**

- Rule for checking the type of a function application

$E \rightarrow E(E)$

$\{ \text{if } (E_2.type = s) \text{ and } (E_1.type = s \rightarrow t)$   
 $\text{then } E_0.type = t$   
 $\text{else } E_0.type := \text{type\_error} \}$

# Type Conversions

- ▶ Many compilers correct the simplest of type errors
  - ▶  $x + y$  ?
  - ▶ What if  $x$  is of type real and  $y$  is of type integer?

$$E \rightarrow E \text{ op } E \quad \left\{ \begin{array}{l} \text{if } (E_1.\text{type} = \text{integer}) \text{ and} \\ \quad (E_2.\text{type} = \text{integer}) \text{ then } E_0.\text{type} = \text{integer} \\ \text{else if } (E_1.\text{type} = \text{real}) \text{ and} \\ \quad (E_2.\text{type} = \text{real}) \text{ then } E_0.\text{type} = \text{real} \\ \text{else if } (E_1.\text{type} = \text{real}) \text{ and} \\ \quad (E_2.\text{type} = \text{integer}) \text{ then } E_0.\text{type} = \text{real} \\ \text{else if } (E_1.\text{type} = \text{real}) \text{ and} \\ \quad (E_2.\text{type} = \text{real}) \text{ then } E_0.\text{type} = \text{real} \\ \text{else } E_0.\text{type} = \text{type\_error} \end{array} \right.$$

# Overloading of functions and operators

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- ▶ An overloaded symbol has different meanings depending on its context
  - ▶  $(4 + "a")$  and  $(4+'a')$  in Java
  - ▶ In Ada
    - ▶ function "\*" ( $k,j$ : integer) return complex
    - ▶ function "\*" ( $x,y$ : complex) return complex
  - ▶ Therefore
    - 3\*5 either has type integer or complex, depending on its context
    - $2*(3*5) \rightarrow$  integer
    - $z*(3*5) \rightarrow$  complex

# Possible types of expressions

$E' \rightarrow E$

$\{ E'.types = E.types \}$

$E \rightarrow id$

$\{ E.types = \text{lookup}(id.entry) \}$

$E \rightarrow E(E)$

$\{ E_0.types = \{ t \mid \text{there exists an } s \text{ in } E_2.types \text{ such that } s \rightarrow t \text{ is in } E_1.types \} \}$

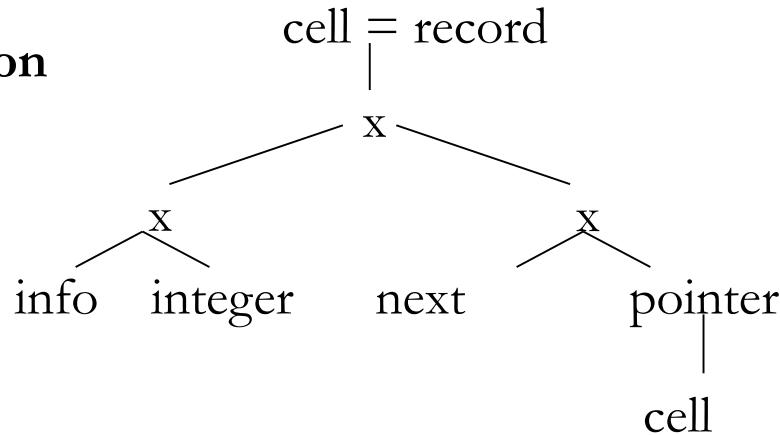
# Cycles in Representations of types

- ▶ Often data structures are defined recursively.  
Example.: lists

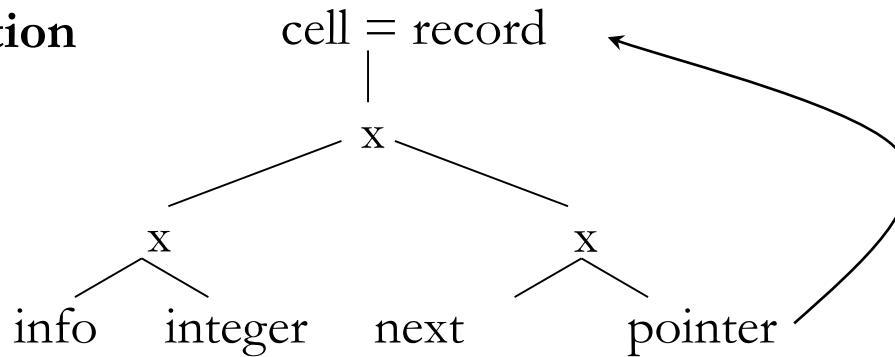
```
Type link = ^cell;
cell = record
    info : integer;
    next: link
end;
```

# Cycles in Representations of types

Acyclic  
representation



Cyclic  
representation



# Scope Checking

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- ▶ The visibility of an identifier is constrained to some section of the program:
  - ▶ Global and local variables.
  - ▶ **Objective:** Determine if the identifier is accessible at a specific point in the program.
  - ▶ **Approaches:**
    - ▶ Use an individual symbol table for each scope (stack containing all the scopes).
    - ▶ A single global table for all the scopes (scope-number, var-name).