uc3m Universidad Carlos III de Madrid

Practical Exercise: Development of a Recursive Descent Interpreter

In this guided practical exercise, we will approach the design of an Interpreter with basic resources to review the main concepts of a Recursive Descent Parser. To avoid dealing with a large and complicated grammar, we will restrict the domain to the typical arithmetic expression calculator. This way, we can obtain results with a reduced number of production rules.

We will begin with a very elementary approach, and complicate it in successive steps:

- 1. A parser for very simple operations.
- 2. A calculator for very simple operations (Parser + Semantic Routines).
- 3. Inclusion of expressions with parentheses.
- 4. Inclusion of operator precedence, and unary signs.

4. Inclusion of operator precedence, and unary signs

The last section proposes the extension of the calculator to

- Accept unary signs.
- Apply the adequate precedence to the arithmetic operators.

This is proposed as homework for the students.

Some suggestions:

- Unary + and signs can be limited to the *token Number*.
- To assign greater precedence to one operator (*) over another (+), a new level must be included in the grammar. It is proposed to follow a scheme like the following one (keep Term as in the original grammar, and introduce a new one, like F).

E ::= F + E | ... F ::= T * F | ...T ::= (E) | ...

We start with some changes to improve the presentation and consistency of some details of the parser.

Until now the *tokens* are read "on demand" just before making a match with some expected syntactic element. The change that is proposed is to read the next token when a match has just been completed. In this way, we can perform these read operations in the parse operations at the lowest level, avoiding the need to read the next token in situations in which the NEXT set must be checked.



uc3m Universidad Carlos III de Madrid

The changes are the following:

#define ParseLParen() Mat #define ParseRParen() Mat	tchSymbol ('(') ;	//More concise and efficient definitions// rather than defining functions// This is only useful for matching Literals	
int ParseNumber ()	seNumber () // Parsing Non Terminals and some Tokens requires more complex functions		
۱ MatchSymbol (T	_NUMBER) ;		
<mark>rd_lex () ;</mark>			
return number ;			

We can eliminate:

int ParseTerm ()	// T ::= N (E)	returns the numeric value of the Term
{ int val ;		
<mark>rd_lex () ;</mark> if (token == T_NU val = Pai	MBER) { rseNumber () :	<pre>// T derives alternatives, requires checking FIRST(E)</pre>
vui – i ui	Servariber (),	
}		
int ParseExpression ()	// E ::=	TE' + E' ::= lambda E
{	// retur	ns the numeric value of the Expression
 <mark>rd_lex () ;</mark> if (token == '\n'	token == ')') {	<pre>// ExpressionRest is a nullable Non Terminal // Therefore, we check FOLLOW(ExpressionRest)</pre>

Now, the parser starts reading the first token.



Another change is to produce a left-factored production of the arithmetic operators in:

```
ExpressionRest ::= + Expression |

- Expression |

* Expression |

/ Expression |

lambda
```



uc3m Universidad Carlos III de Madrid

The result is:

```
ExpressionRest ::= Operator Expression |

lambda

Operator ::= + | - | * | /
```

And this modifies the function ParseOperator():

int ParseO)perator ()	
i	int operator ;	
S	switch (token) { case '+' : case '-' : case '*' : case '/' : operator break ; default : rd_synta	 // Operator derives in alternatives // requires checking FIRST(Operator) = token ; ax_error (token, 0, "Token %d was read, but an Operator was expected");
]	}	
<mark>1</mark>	rd_lex () ;	
r }	return operator ;	

