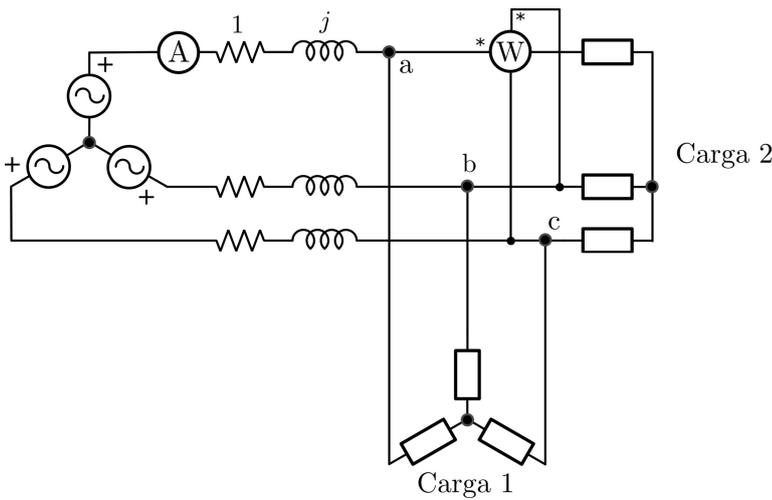


Examen 16 diciembre 2021 - Trifásica - M24



$$\begin{aligned} \textcircled{A} &= 52'48 \text{ A} \\ \cos\varphi_2 &= 0'164 \text{ ind.} \\ P_2 &= 5066'4 \text{ W} \\ P_{12} &= 28137'1 \text{ W} \\ \cos\varphi_{12} &= 0'715 \text{ ind.} \end{aligned}$$

1. La carga 1 debe ser resistiva capacitiva porque el conjunto consume más potencia activa que la carga 2 y el factor de potencia del conjunto es mejor que el de la carga 2 sola.

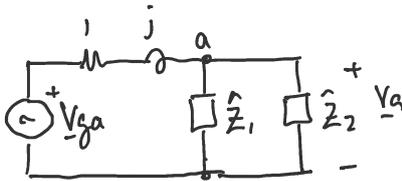
2. De los datos se puede obtener:

$$\varphi_2 = \arccos 0'164 = 80'56^\circ$$

$$\varphi_{12} = \arccos 0'715 = 44'36^\circ$$

$$P_{12} = 3VF \cdot \cos\varphi_{12} = 3 \cdot V_a \cdot 52'48 \cdot 0'715 ; V_a = 250 \text{ V.} \rightarrow \boxed{V_a = 250 \angle 0^\circ}$$

Cojo aquí el origen de fases



$$\begin{aligned} V_{ga} &= 250 + (1+j) \cdot 52'48 \angle -44'36 \\ \boxed{V_{ga} = 324'2 \angle 0'15^\circ \text{ V}} \end{aligned}$$

$$3. P_2 = 3 \cdot 250 \cdot I_2 \cdot 0'164 ; I_2 = \frac{5066'4}{3 \cdot 250 \cdot 0'164} = 41'2 ; \text{ luego } \underline{I}_2 = 41'2 \angle -80'56^\circ \text{ A}$$

$$\text{Entonces } \hat{Z}_2 = \frac{250}{41'2 \angle -80'56} = 6'07 \angle 80'56 = \boxed{1 + 6j \Omega}$$

$$\underline{I}_1 = \underline{I} - \underline{I}_2 = 52'48 \angle -44'36 - 41'2 \angle -80'56 = 31 \angle 7'31, \text{ luego } \hat{Z}_1 = \frac{250}{31 \angle 7'31} = 8'06 \angle -7'31 = \boxed{8 - j \Omega}$$

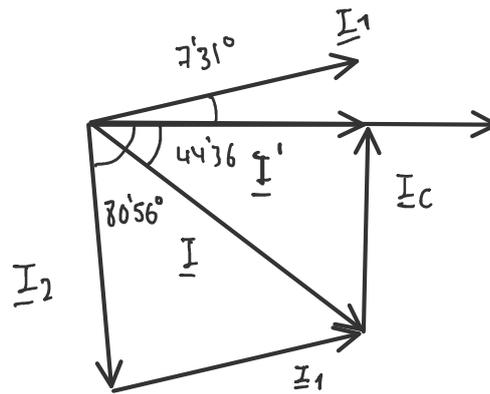
$$4. C_y = \frac{P_{12}}{3} \cdot \frac{\tan 44'36}{250^2 \cdot 100\pi} = \boxed{467'1 \text{ MF}}$$

$$5. P_{12} = P_{12}' = 3 \cdot V_F \cdot I_F' \cdot \cos\varphi' \rightarrow 28137'1 = 3 \cdot 250 \cdot I_F' \cdot 1 ; \underline{I}' = 37'51 \angle 0^\circ \times 52'48 \angle -44'36$$



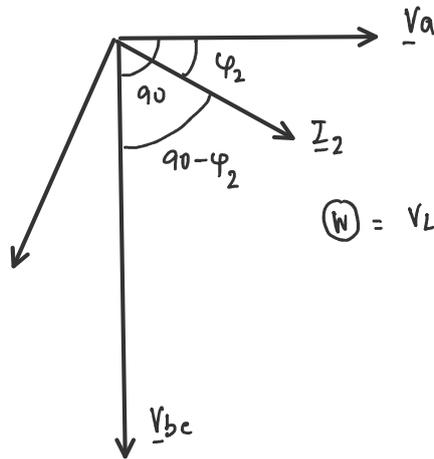
$$\hat{z}_c = \frac{-j}{c.w} = -6'81j$$

$$\underline{I}_c = \frac{250}{-6'81j} = 36'7 \angle 90^\circ$$



6. El vatímetro mide lo mismo antes que después de compensar $\textcircled{W} = \frac{Q_2}{\sqrt{3}} = \frac{P_2 \cdot \cos \varphi_2}{\sqrt{3}}$

$$\textcircled{W} = \frac{30471'6}{\sqrt{3}} = 17592'8 \text{ W}$$



$$\textcircled{W} = V_L I_L \cos(90 - \varphi_2) = V_L I_L \sin \varphi_2$$

