

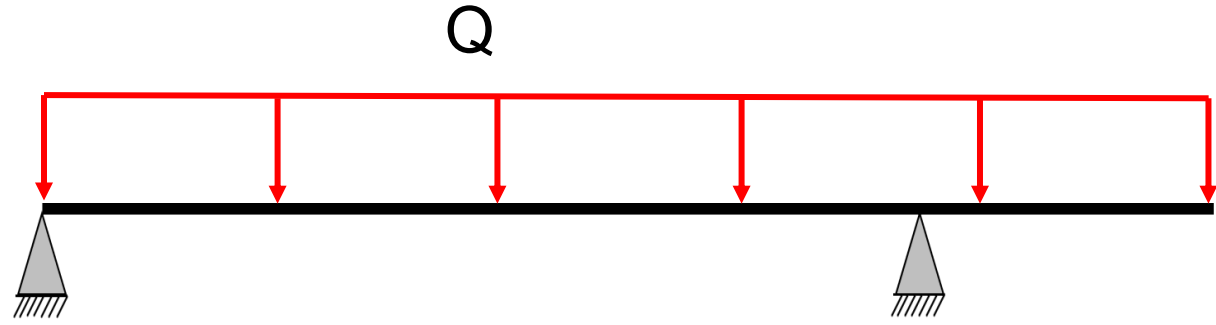
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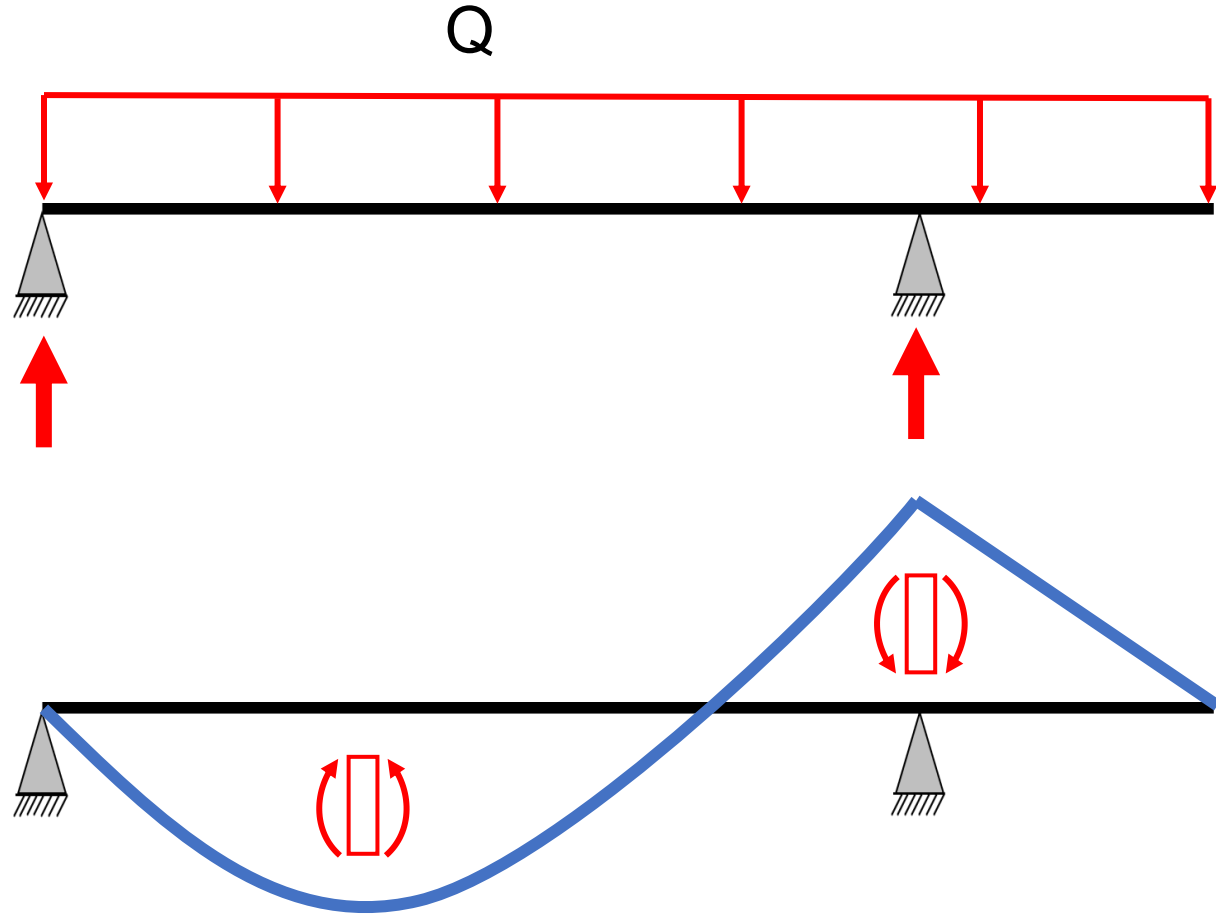
Teoría de Estructuras y Construcciones Industriales

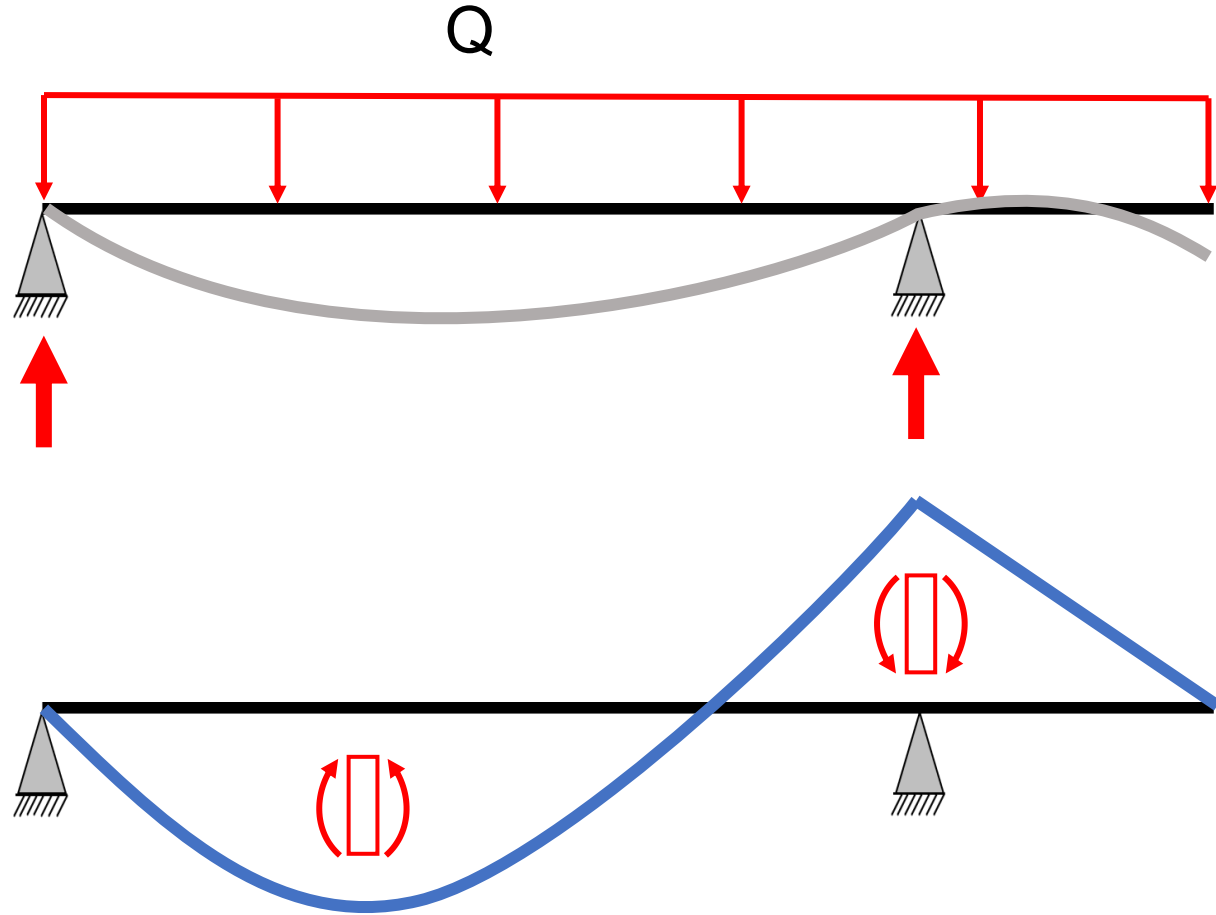
Carlos Santiuste Romero, Sara Garzón Hernández, Liu Jiao Wang,
Manuel Cuadrado Sanguino, Luis Jiménez Girón, Daniel Herrero Adán

Teoremas de Mohr para desplazamientos









Ecuaciones de NAVIER-BRESSE

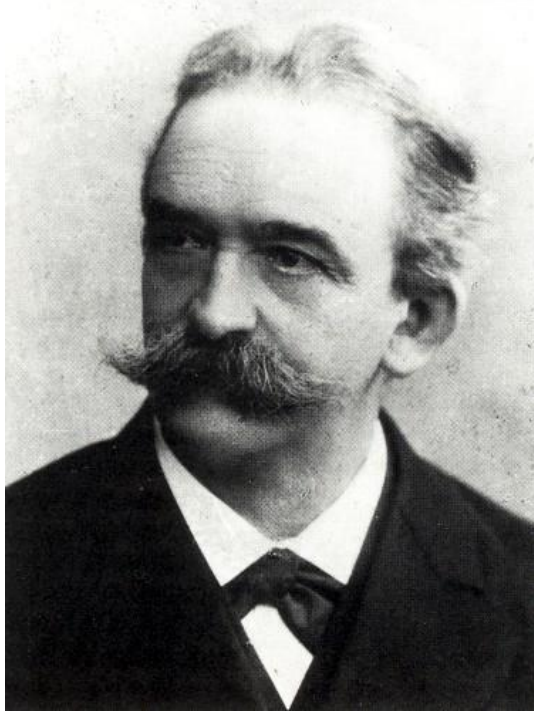
$$\theta_B = \theta_A + \int_A^B \frac{M}{EI} dx$$

$$v_B = v_A + \theta_A(x_B - x_A) + \int_A^B \frac{M}{EI} (x_B - x) dx$$



Christian Otto MOHR

1835-1918



Charles Ezra GREENE

1842-1903



Primer teorema de Mohr

Variaciones angulares

$$\theta_B = \theta_A + \int_A^B \frac{M}{EI} dx$$

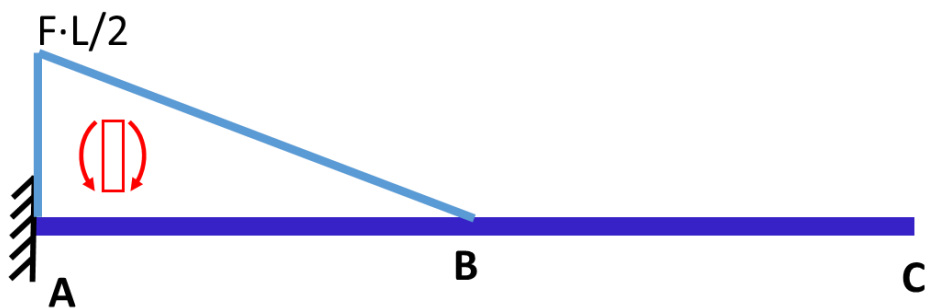
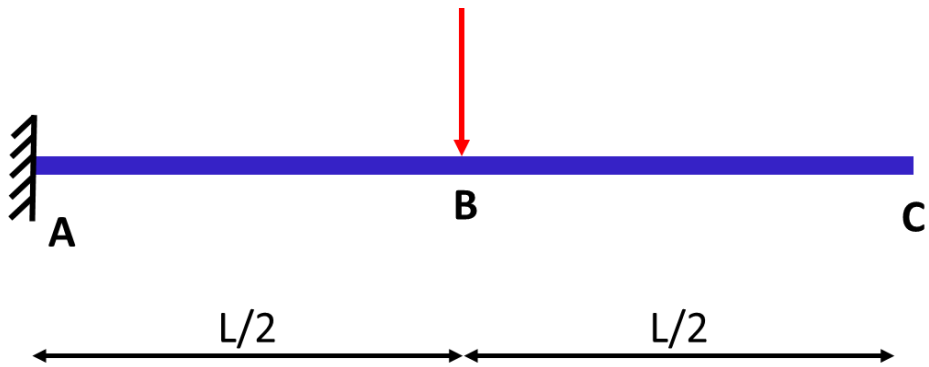
$$\theta_{AB} = \theta_B - \theta_A = \int_A^B \frac{M_f(x)}{EI} dx$$

Primer teorema de Mohr

Variaciones angulares

$$\theta_B = \theta_A + \int_A^B \frac{M}{EI} dx$$

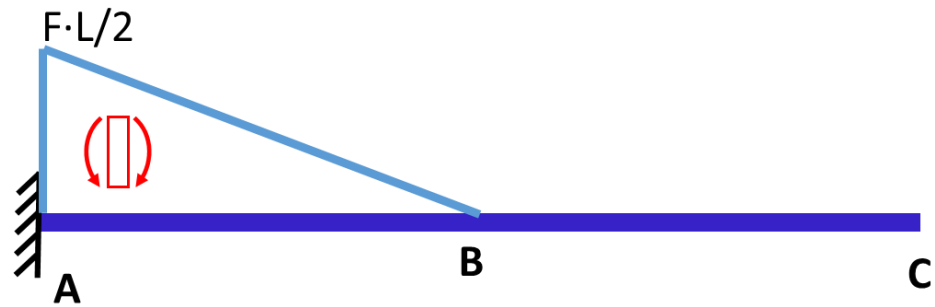
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Primer teorema de Mohr

Variaciones angulares

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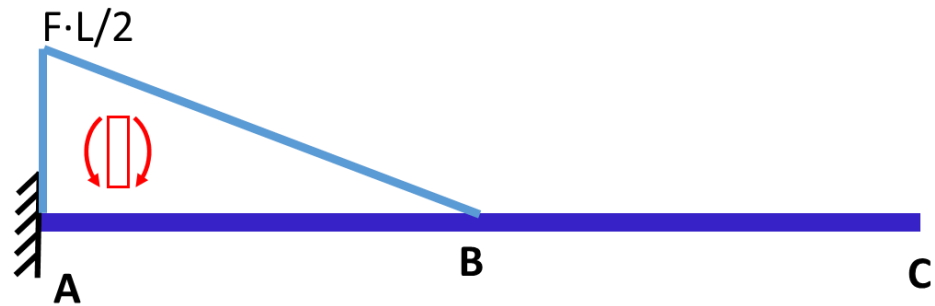


Primer teorema de Mohr

Variaciones angulares

$$\theta_{AB} = \theta_B - \theta_A = \int_A^B \frac{M_f(x)}{EI} dx$$

$$\theta_B = \frac{1}{EI} \int_A^B M_f(x) dx$$

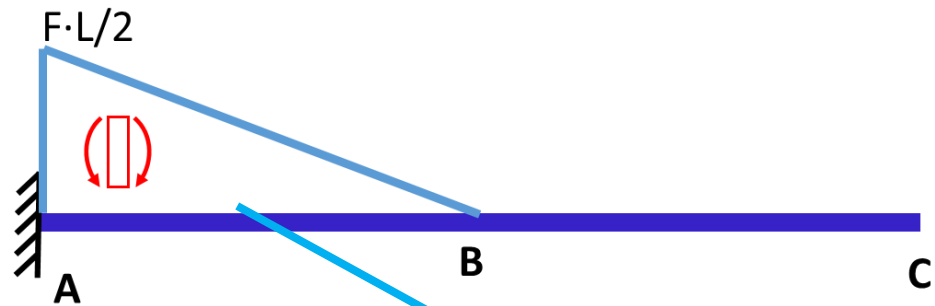


Primer teorema de Mohr

Variaciones angulares

$$\theta_{AB} = \theta_B - \theta_A = \int_A^B \frac{M_f(x)}{EI} dx$$

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$$A = \frac{B \cdot h}{2} = \frac{F \cdot L \cdot L}{2 \cdot 2 \cdot 2} = \frac{F \cdot L^2}{8}$$

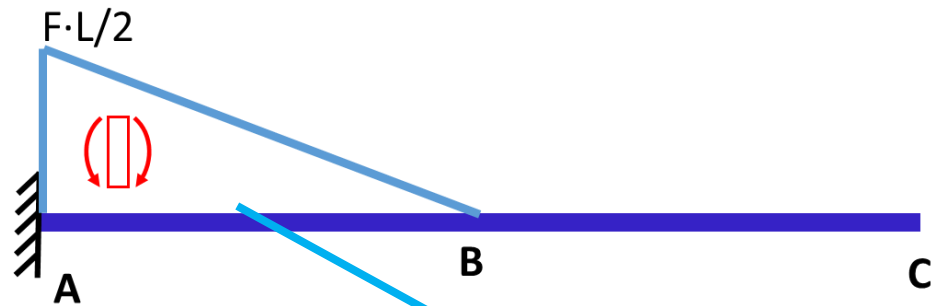
$$\theta_B = \frac{F \cdot L^2}{8 \cdot EI}$$

Primer teorema de Mohr

Variaciones angulares

$$\theta_{AB} = \theta_B - \theta_A = \int_A^B \frac{M_f(x)}{EI} dx$$

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$$A = \frac{B \cdot h}{2} = \frac{F \cdot L \cdot L}{2 \cdot 2 \cdot 2} = \frac{F \cdot L^2}{8}$$

$$\theta_B = \frac{F \cdot L^2}{8 \cdot EI} = \theta_C$$

Segundo teorema de Mohr

Flechas

$$v_B = v_A + \theta_A(x_B - x_A) + \int_A^B \frac{M}{EI} (x_B - x) dx$$

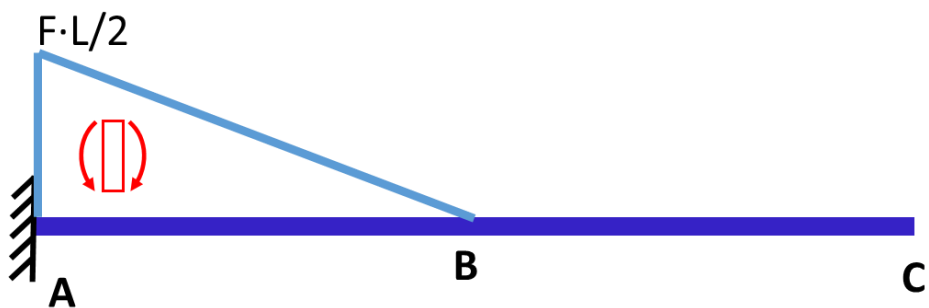
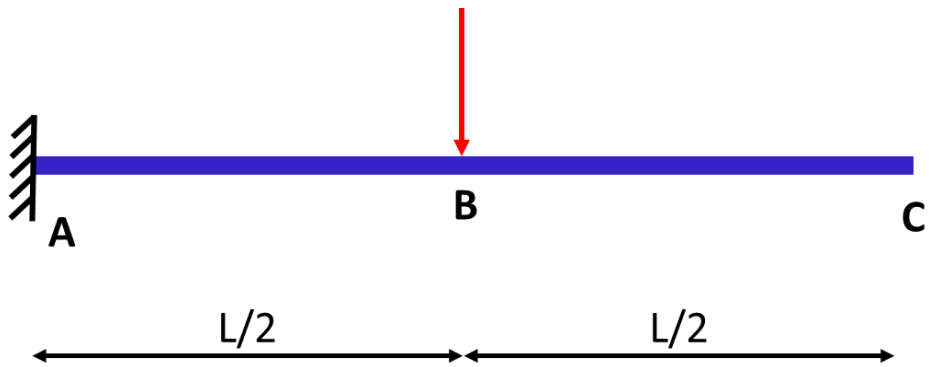
$$\Delta_{B\parallel A} = \int_A^B \frac{M_f(x)}{EI} (x_B - x) dx$$

Segundo teorema de Mohr

Flechas

$$v_B = v_A + \theta_A(x_B - x_A) + \int_A^B \frac{M}{EI} (x_B - x) dx$$

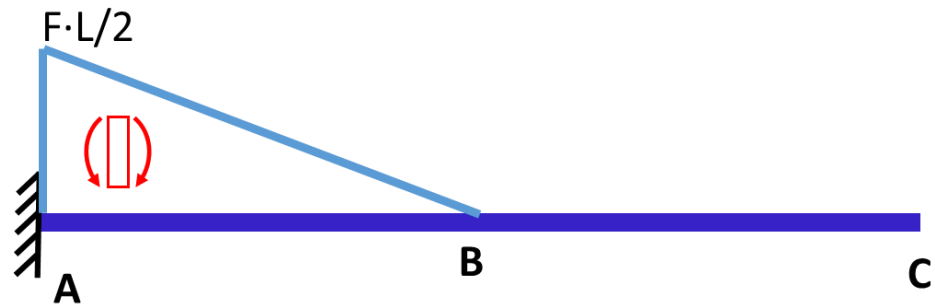
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Segundo teorema de Mohr

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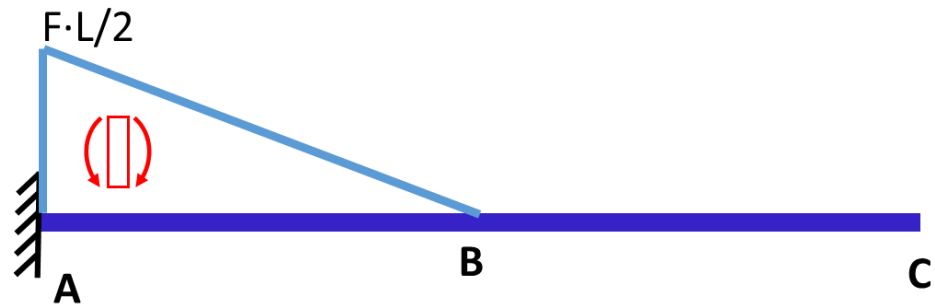


Segundo teorema de Mohr

Flechas

$$\Delta_{B\parallel A} = \int_A^B \frac{M_f(x)}{EI} (x_B - x) dx$$

$$v_B = \frac{1}{EI} \int_A^B M_f(x) (x_B - x) dx$$

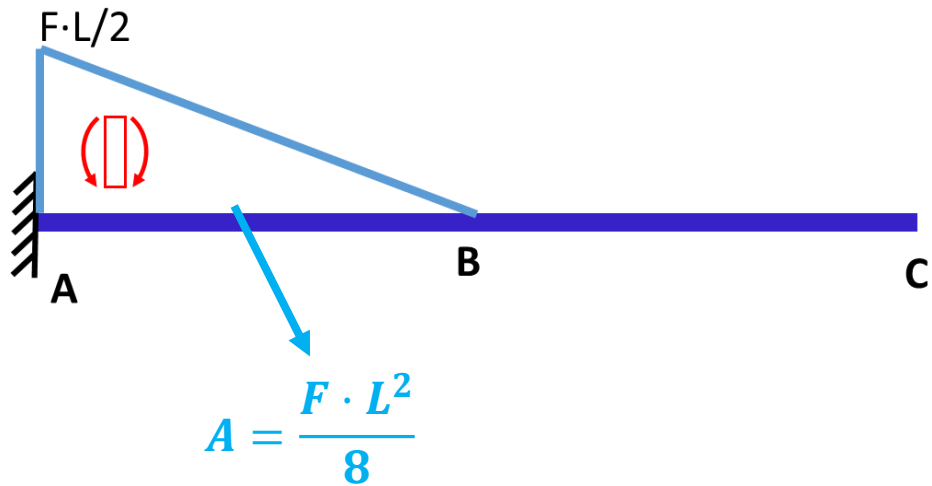


Segundo teorema de Mohr

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$$\Delta_{B\parallel A} = \int_A^B \frac{M_f(x)}{EI} (x_B - x) dx$$

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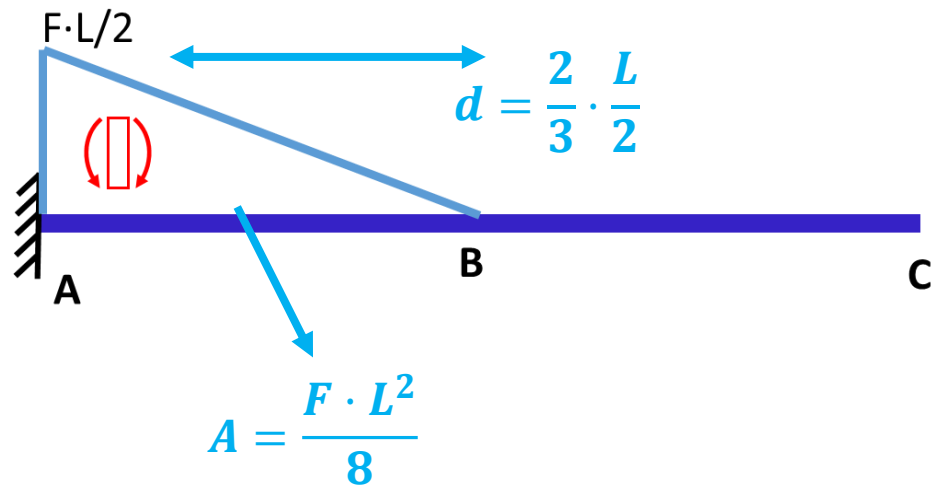


Segundo teorema de Mohr

Flechas

$$\Delta_{B\parallel A} = \int_A^B \frac{M_f(x)}{EI} (x_B - x) dx$$

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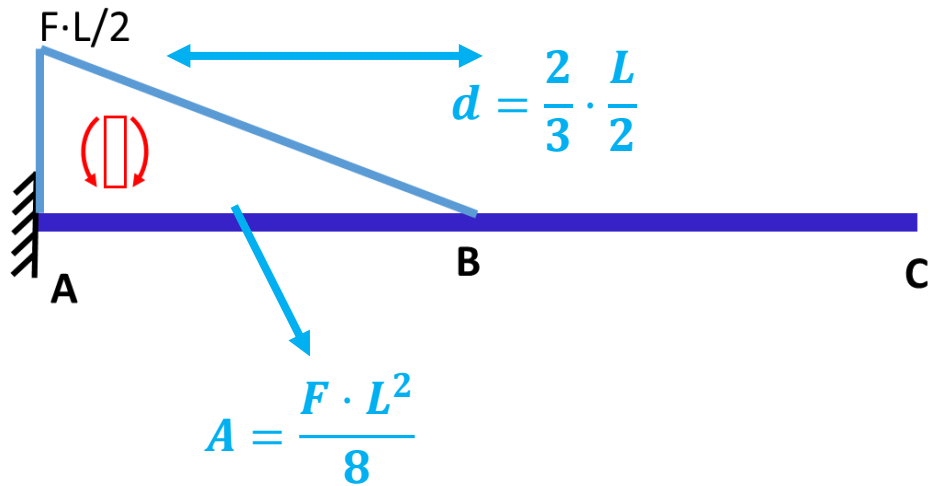


Segundo teorema de Mohr

Flechas

$$\Delta_{B\parallel A} = \int_A^B \frac{M_f(x)}{EI} (x_B - x) dx$$

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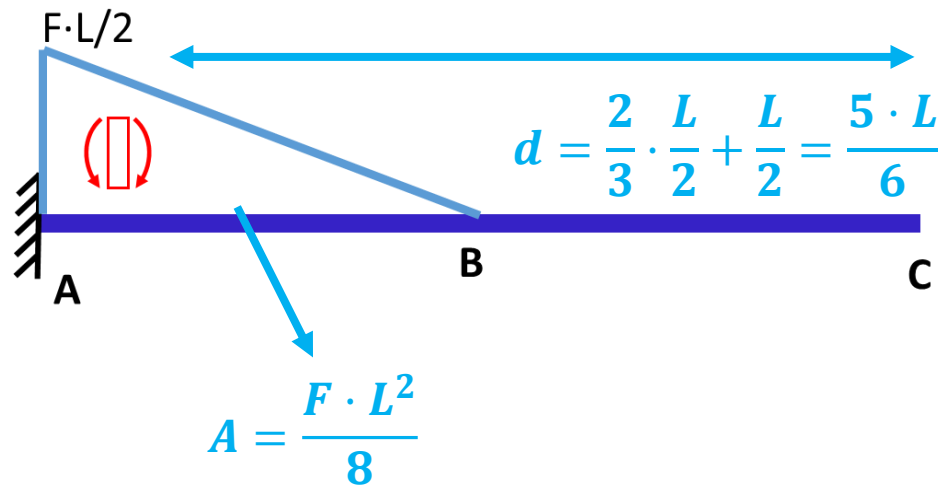
$$v_B = \frac{F \cdot L^3}{24 \cdot EI}$$

Segundo teorema de Mohr

Flechas

$$\Delta_{B\parallel A} = \int_A^B \frac{M_f(x)}{EI} (x_B - x) dx$$

$$v_B = \frac{1}{EI} \int_A^B M_f(x) (x_B - x) dx$$

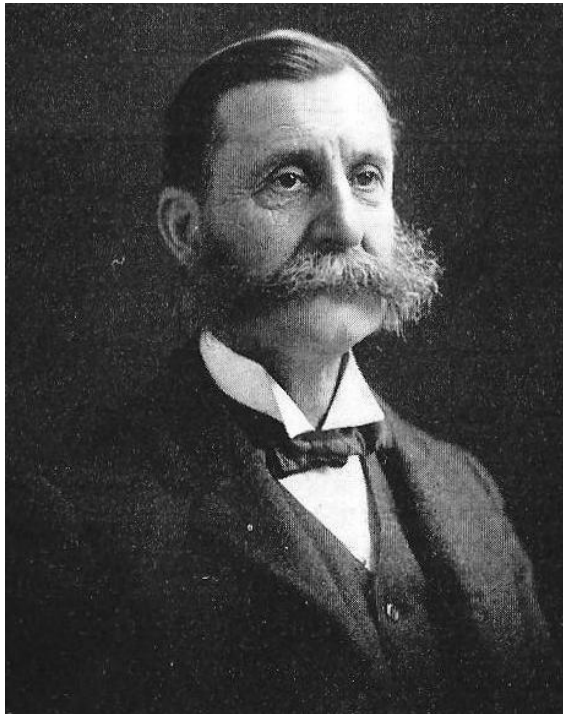
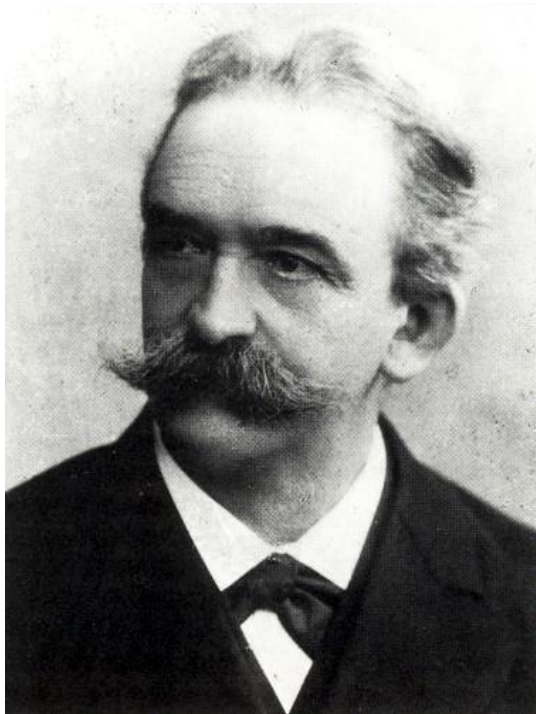


$$v_C = \frac{5 \cdot F \cdot L^3}{48 \cdot EI}$$

Teoremas de Mohr

$$\theta_{AB} = \theta_B - \theta_A = \int_A^B \frac{M_f(x)}{EI} dx$$

$$\Delta_{B\parallel A} = \int_A^B \frac{M_f(x)}{EI} (x_B - x) dx$$



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